

ECON 133 – Securities Markets – Fall 2010
Practice Problems – Foreign Exchange

1. Which of the following currency movements can be described as dollar appreciation?
Note, ¥ denotes Japanese yen and CA\$ denotes Canadian dollar.
 - a. **From ¥100/\$ to ¥110/\$**
 - b. From ¥110/\$ to ¥100/\$
 - c. From \$0.7/CA\$ to \$0.8/CA\$
 - d. From CA\$1.5/\$ to CA\$1.4/\$

2. Uncovered Interest Parity – The annual interest rate on the euro zone is 10% and 5% in the U.S. Suppose the exchange rate is currently at 1.25 dollar per euro. Calculate the expected exchange rate one year from now, assuming the uncovered interest rate parity holds.

ANS: You don't have to memorize any equations. Just remember, the high-interest currency has to depreciate.

$$\text{UIP: } 1+5\% = (1+10\%) \times (1/1.25)/E_1$$

$E_1 = 0.838$ euro/\$, the dollar appreciates.

3. Covered Interest Parity – The risk-free interest rate in the US is 4% while the risk-free interest rate in the UK is 9%. If the British pound is worth \$2.00 in the spot market, a 1-year futures rate on the British pound should be worth _____.
 - A. \$1.83
 - B. \$1.91**
 - C. \$2.08
 - D. \$2.18

$$F_1 = (2.00) \frac{1+.04}{1+.09} = 1.91$$

4. One year U.S. interest rates are 5% and European interest rates are 7%. The spot euro direct exchange rate quote is 1.32 and the one year forward rate direct quote is 1.35. If you have \$1 million dollars or € 1 million to start with what would be your dollar profits from an interest arbitrage based on this data?

- A. \$94,322
- B. \$55,345
- C. \$44,318**
- D. \$33,595

This is called covered interest arbitrage, the steps are outlined below:

1. Borrow \$1 million, in one year owe: $\$1\text{ million} * 1.05 = \$1,050,000$
2. Sell dollars and buy euro spot: $\$1,000,000 / 1.32 = \text{€}757,575.76$
3. Invest in euro securities and earn 7.00%: $\text{€}757,575.76 * 1.07 = \text{€}810,606.06$
4. Cover \$1,050,000 owed in one year by selling euro forward:
 $\text{€}810,606.06 * 1.35 = \$1,094,318.18$
Repay \$1,050,000 and net $\$1,094,318.18 - \$1,050,000 = \$44,318.18$